

## Crystal terms and application notes

### SERIES RESONANCE

When a crystal is operating at series resonance ( $F_s$ ), it looks resistive in the circuit. Thus, impedance at  $F_s$  is near zero. In a well designed series resonant circuit, correlation is not a problem and load capacitance does not have to be specified. See Fig. 3.

SERIES RESONANCE

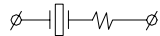


Figure 3

### PARALLEL RESONANCE

When a crystal is operating at parallel resonance ( $F_s < F_r < F_a$ ), it looks inductive in the circuit. Thus, function of a load capacitance is very important in determining the frequency of oscillation. The difference in frequency between the  $F_s$  and  $F_a$  depends on the  $C_0/C_1$  ratio of the crystal unit, and the inductance  $L_1$ . In parallel circuit design, load capacitance  $C_L$  shall be specified. (Fig. 4)

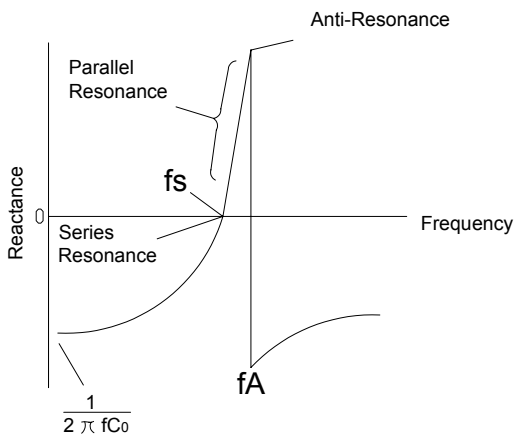
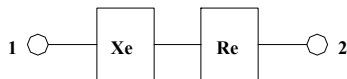


Figure 4

The crystal equivalent circuit can be simplified as a series resistance  $R_e$  with a reactance  $X_e$ . (Fig. 5)



$$Z_e = R_e + jX_e$$

Figure 5

### NEGATIVE RESISTANCE “-R”

Negative resistance is an important parameter to consider when designing an oscillator. Figure 1 shows an equivalent circuit for an oscillator. “-R” represents the negative resistance; To maintain stable oscillation at a constant frequency.

The oscillator must have enough negative resistance to compensate for the resistance (loss) of the resonator.

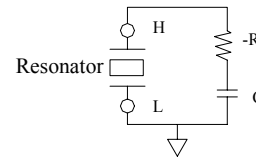


Fig. 6. Negative Resistance in an oscillator circuit

### CHANGE OF LOAD CAPACITANCE AND PULLABILITY

When a crystal is operating at parallel resonance ( $F_s < F_r < F_a$ ), it looks inductive in the circuit. As the reactance changes, the frequency changes correspondingly. The difference in frequency between the  $F_s$  and  $F_a$  depends on the  $C_0/C_1$  ratio of the crystal unit. The frequency changes by  $\Delta F$ , i.e.,  $F_L - F_0$

$$\frac{\Delta F}{F_s} = \frac{1}{2 \frac{C_0}{C_1} \left(1 \times \frac{C_L}{C_0}\right)}$$

The same crystal with frequency at third-overtone mode will have much less pulling because its motional capacitance  $C_1'$  is approximately 1/9 of  $C_1$  at fundamental.

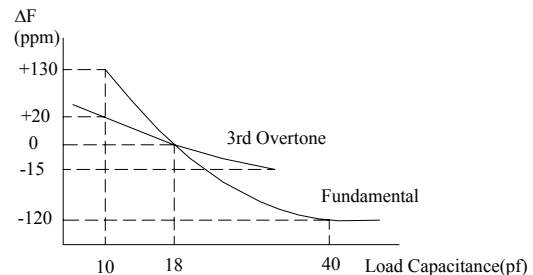


Fig. 7 Change of load capacitance and pullability

Frequency pullability of a fundamental 20 MHz crystal vs. its 3rd overtone crystal. The oscillating mass of the quartz crystal corresponds to the motional inductance  $L_1$  while the elasticity of the oscillating body is represented by the motional capacitance  $C_1$ .

$$C_1 \text{ (pF)} = 0.22 \times A \text{ (m}^2\text{)} \times F \text{ (Hz)} / 1670$$

Where A = area of the electrode  
F = resonant Frequency